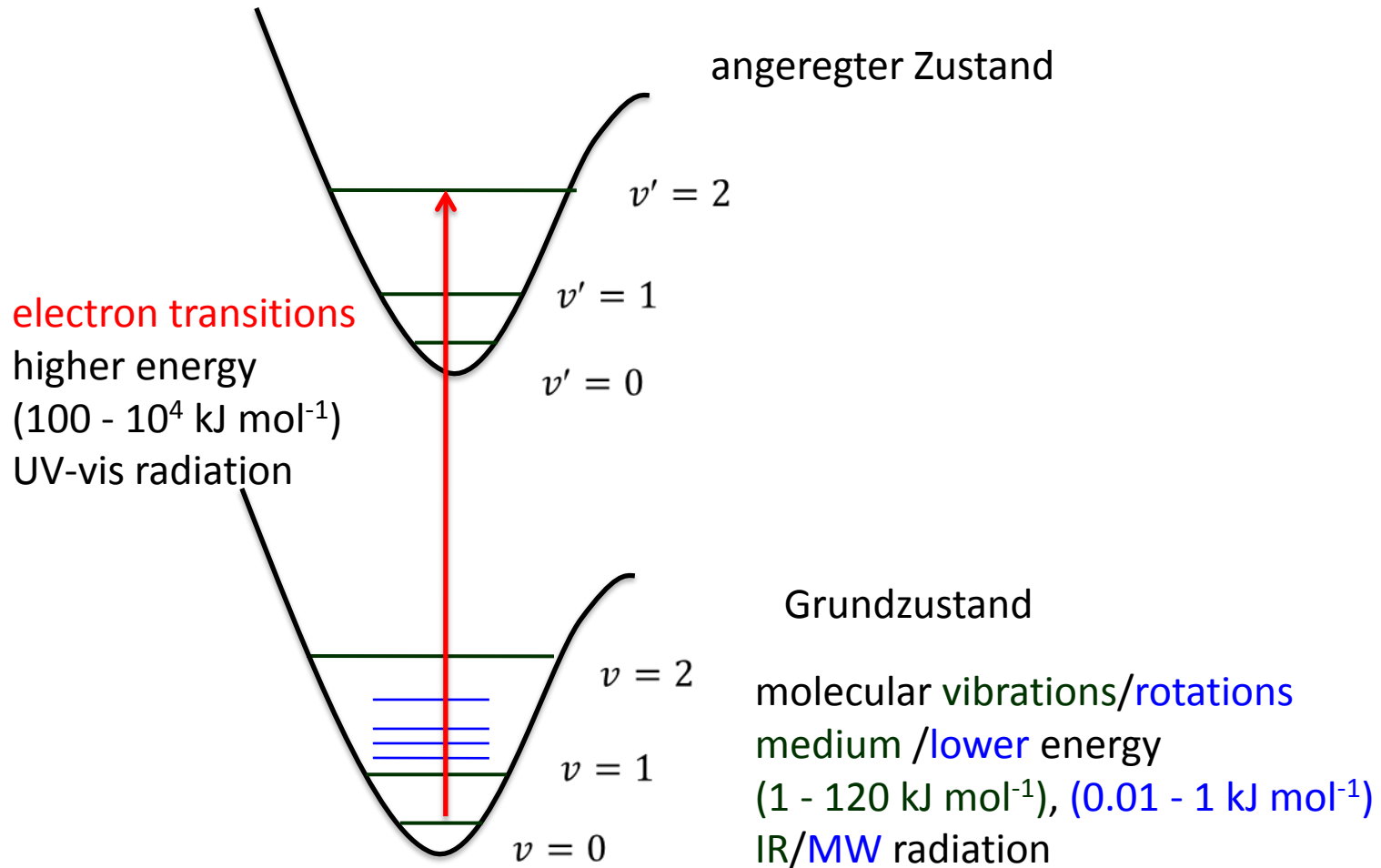


Molecular transitions - outline



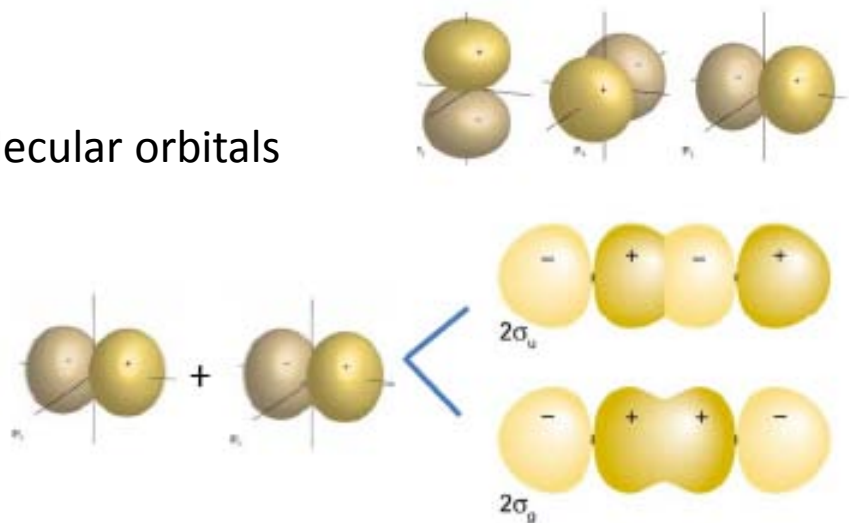
Molecular term symbols: diatomic molecules

Classify according to angular momentum around the internuclear axis, λ .

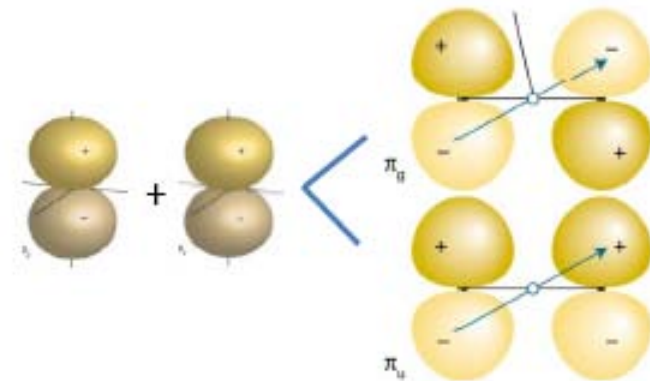
λ is similar to m_l in atoms, so for a p orbital: $\lambda=0, \pm 1$

Two p orbitals : sigma(σ) and pi(π) molecular orbitals

p_z ($m_l=0$) so ($\lambda =0$): σ, σ^* MOs

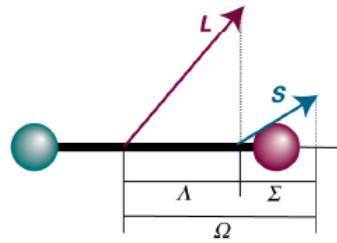


$p_{x,y}$ ($m_l = \pm 1$) so ($\lambda = \pm 1$): π, π^* MOs



$$\Lambda = \sum_i \lambda_i = \lambda_1 + \lambda_2 + \lambda_3 + \dots$$

Overall angular momentum on the internuclear axis



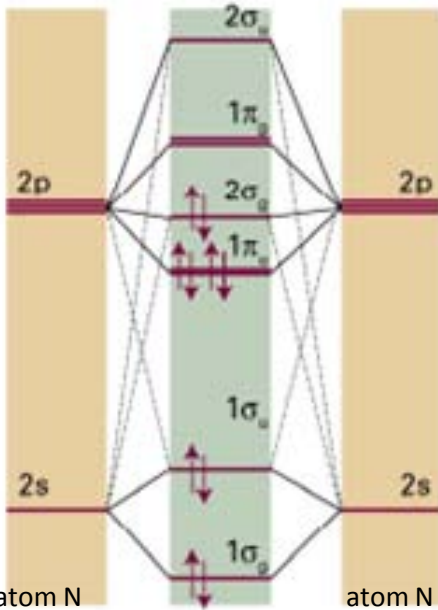
Spin-orbit levels : $\Omega = |\Lambda + \Sigma|$,
 Σ is the projection of S on internuclear axis

spin multiplicity $= (2s+1)$

Singlet, doublet and triplet states

$2\Pi_{3/2}$

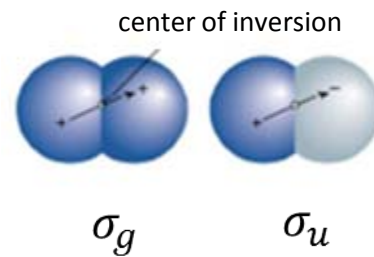
Λ values, according to:
 Σ for $\Lambda=0$, Π for $\Lambda=\pm 1$
 Δ for $\Lambda=\pm 2$, Φ for $\Lambda=\pm 3, \dots$



N_2 -ground state

$1\Sigma_g^+$

$$(2s\sigma_g)^2(2s\sigma_u)^2(2p\pi_u)^4(2p\sigma_g)^2$$

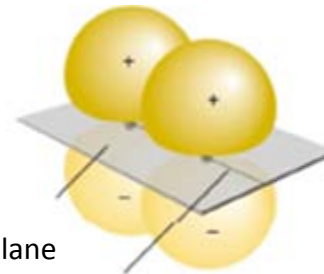


$$g \otimes g = g$$

$$u \otimes g = u$$

$$u \otimes u = g$$

$$\hat{i}\Psi_e = \mp\Psi_e$$



$$\hat{\sigma}_v\Psi_e = \mp\Psi_e$$

For *sigma terms*, the symmetry is shown as (+/-) considering the reflection in a plane contains the internuclear axis.

Selection rules

1. $\Delta\Lambda = 0, \pm 1,$

example: transitions Σ - Σ , Π - Σ , Δ - Π and so on are allowed but Δ - Σ or Π - Φ are forbidden .

2. $\Delta S = 0,$

(true for light atoms, however does not hold for very heavy atoms, for example in I_2).

3. $\Delta\Omega=0,\pm 1,$

for transitions between multiple components.

4. Further subdivision for Σ states: only $\Sigma^+ - \Sigma^+$ or $\Sigma^- - \Sigma^-$ transitions are allowed.

notice: $\Sigma^+ - \Pi$, $\Sigma^- - \Pi$ are both allowed.

5. $g \leftrightarrow u,$

g to g or u to u transitions are forbidden.

Transition dipole moment integral

(Time dependent hamiltonian , how are the selection rules obtained)

$$\hat{H} = \hat{H}^0 + \hat{H}^1(t)$$

$$\hat{H}^1(t) = -\mu_z \cos\omega t$$

$$R_{21} = \int \psi^*_2 \hat{\mu} \psi_1 d\tau = \langle \psi_2 | \mu | \psi_1 \rangle \quad \mu_x = ex, \mu_y = ey, \mu_z = ez$$

2: final state, 1: initial state

Übergangsdipolmomentintegral

Born-Oppenheimer Näherung: $\psi_{tot} = \psi_e(r) \cdot \psi_{vib}(R)$

$$R_{21} = \langle \psi'_{el} \psi'_{vib} | \hat{\mu} | \psi''_{el} \psi''_{vib} \rangle = -e \iint \psi'^*_{el}(r) \psi'^*_{vib}(R) r \psi''_{el}(r) \psi''_{vib}(R) dr dR$$

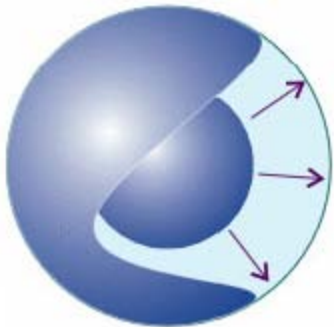
$$R_{21} = -e \underbrace{\int \psi'^*_{el}(r) r \psi''_{el}(r) dr}_{\text{Electronic transition moment}} \underbrace{\int \psi'^*_{vib}(R) \psi''_{vib}(R) dR}_{\text{Vibrational overlap } S(v,v')}$$

Überlappungsintegral

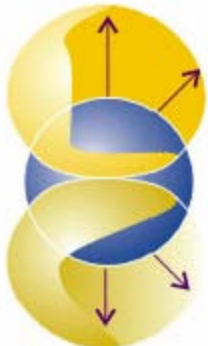
$$\text{Transition intensity} \propto R_{21}^2 \propto \left(\int \psi'^*_{el}(r) r \psi''_{el}(r) dr \right)^2 \left(\int \psi'^*_{vib}(R) \psi''_{vib}(R) dR \right)^2$$

Franck-Condon factor
(square of the vibrational overlap integral)

$$\begin{aligned} \Delta l &= 0, \pm 1 \\ \Delta S &= 0 \text{ and } \Delta \Sigma = 0 \\ g &\leftrightarrow u \text{ (where } g, u \text{ exist)} \\ + &\leftrightarrow + ; - \leftrightarrow - \text{ (for } \Sigma \text{--}\Sigma \text{ transitions)} \end{aligned}$$

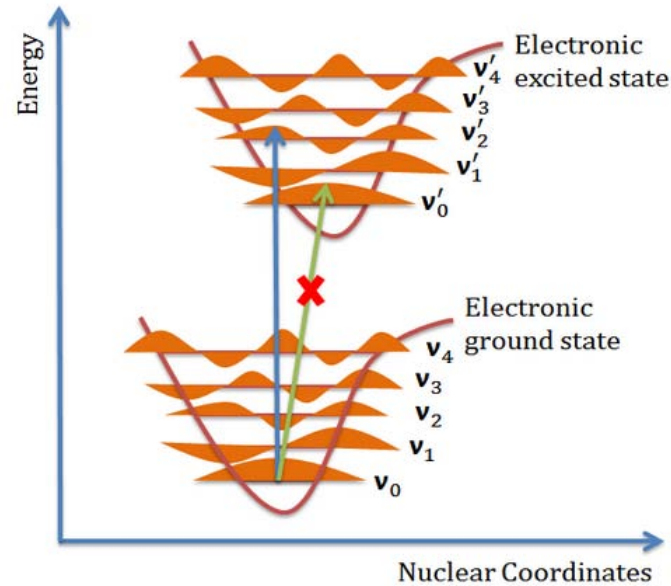
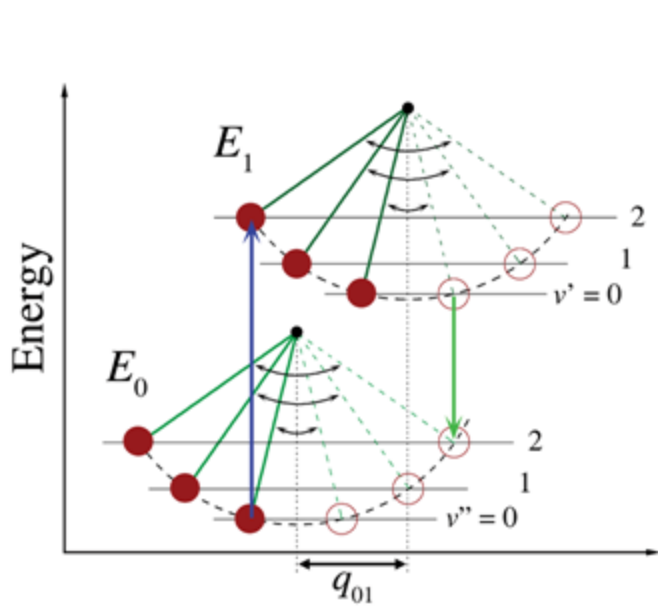


1s ---> 2s
verboten



1s ---> 2p
✓ Erlaubt

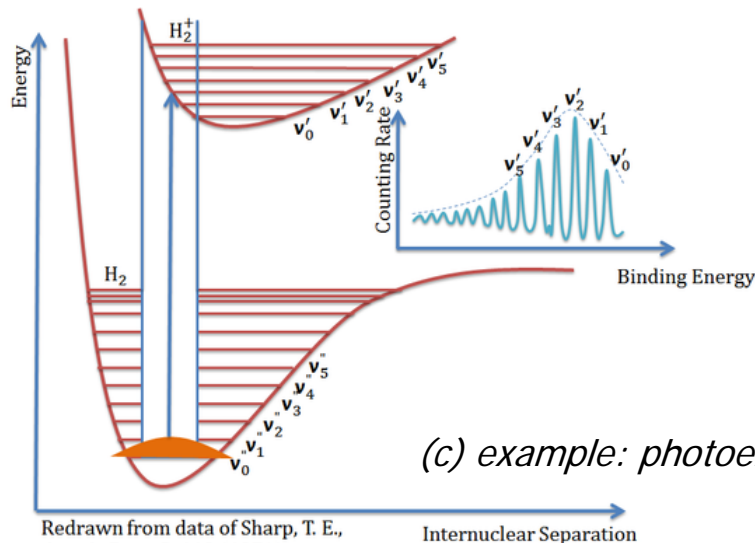
Franck-Condon principle



(a) How does the internuclear distance change?

(b) Franck-Condon energy diagram

(Vertical transitions)

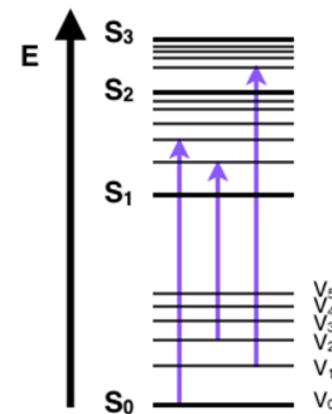


(c) example: photoelectron spectrum of the ionization H_2

Fate of molecule? Jablonski diagram

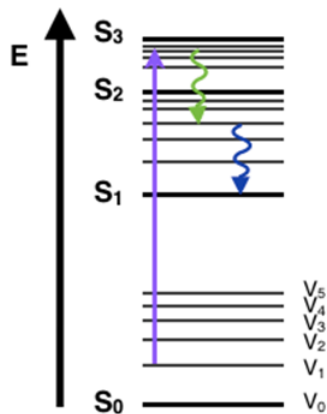


- schematic energy diagram ,
- specific multiplicities,
- electronic states (bold),
- vibronic energy states/rotations,
- continuous energy band,
- straight/curved lines.

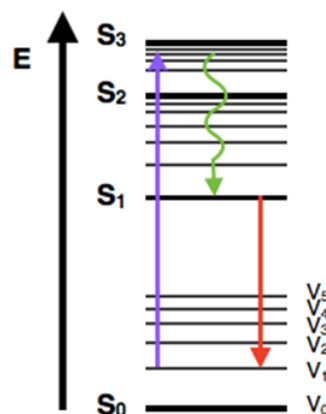


The foundation of a typical Jablonski diagram

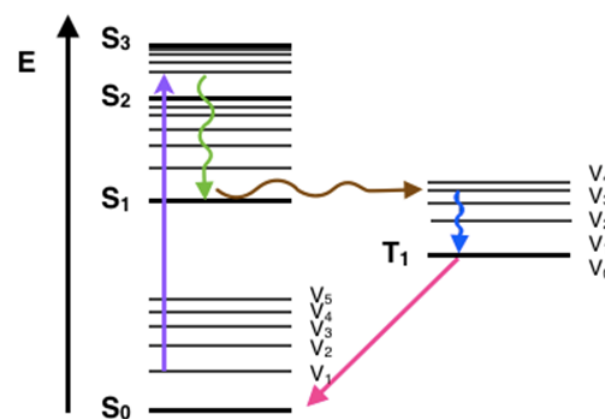
Possible absorptions (10^{-15} s)



Absorbance, internal conversion
and vibrational relaxation (10^{-14} - 10^{-11} s)



Fluorescence
(10^{-9} - 10^{-7} s)



Intersystem crossing (10^{-8} - 10^{-3} s),
phosphorescence (10^{-4} - 10^{-1} s)